

HIRE-ASSISTANT(n)

```
1  best = 0           // candidate 0 is a least-qualified dummy candidate
2  for  $i = 1$  to  $n$ 
3      interview candidate  $i$ 
4      if candidate  $i$  is better than candidate best
5          best =  $i$ 
6          hire candidate  $i$ 
```

Worst-case: n hires

Average-case analysis using **indicator variables**: $\ln n + O(1)$ hires

- assumes each of the $n!$ permutations of rankings is equally likely

Expected analysis: average run-time, regardless of the input
achieved by **randomizing** the input

A randomized algorithm for the hiring problem

RANDOMIZED-HIRE-ASSISTANT(n)

```
1 randomly permute the list of candidates
2  $best = 0$  // candidate 0 is a least-qualified dummy candidate
3 for  $i = 1$  to  $n$ 
4     interview candidate  $i$ 
5     if candidate  $i$  is better than candidate  $best$ 
6          $best = i$ 
7     hire candidate  $i$ 
```

Randomly permuting arrays

PERMUTE-BY-SORTING(A)

- 1 $n = A.length$
- 2 let $P[1..n]$ be a new array
- 3 **for** $i = 1$ **to** n
- 4 $P[i] = \text{RANDOM}(1, n^3)$
- 5 sort A , using P as sort keys

Makes it very likely that the n values will all be unique

Randomly permuting arrays

RANDOMIZE-IN-PLACE(A)

```
1   $n = A.length$   
2  for  $i = 1$  to  $n$   
3      swap  $A[i]$  with  $A[\text{RANDOM}(i, n)]$ 
```