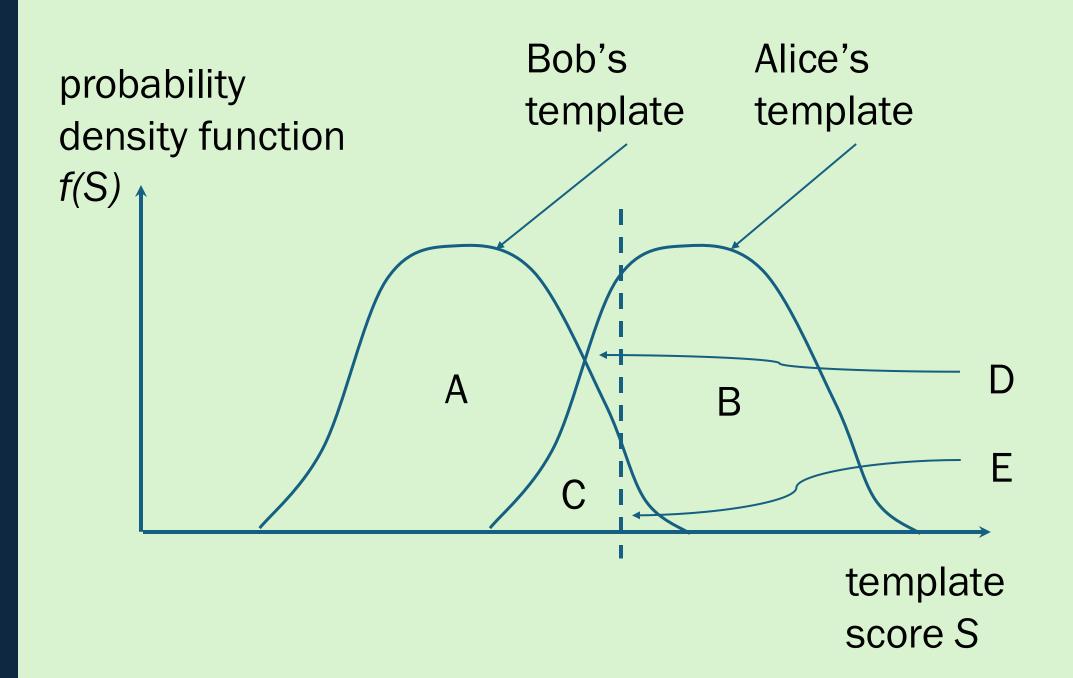
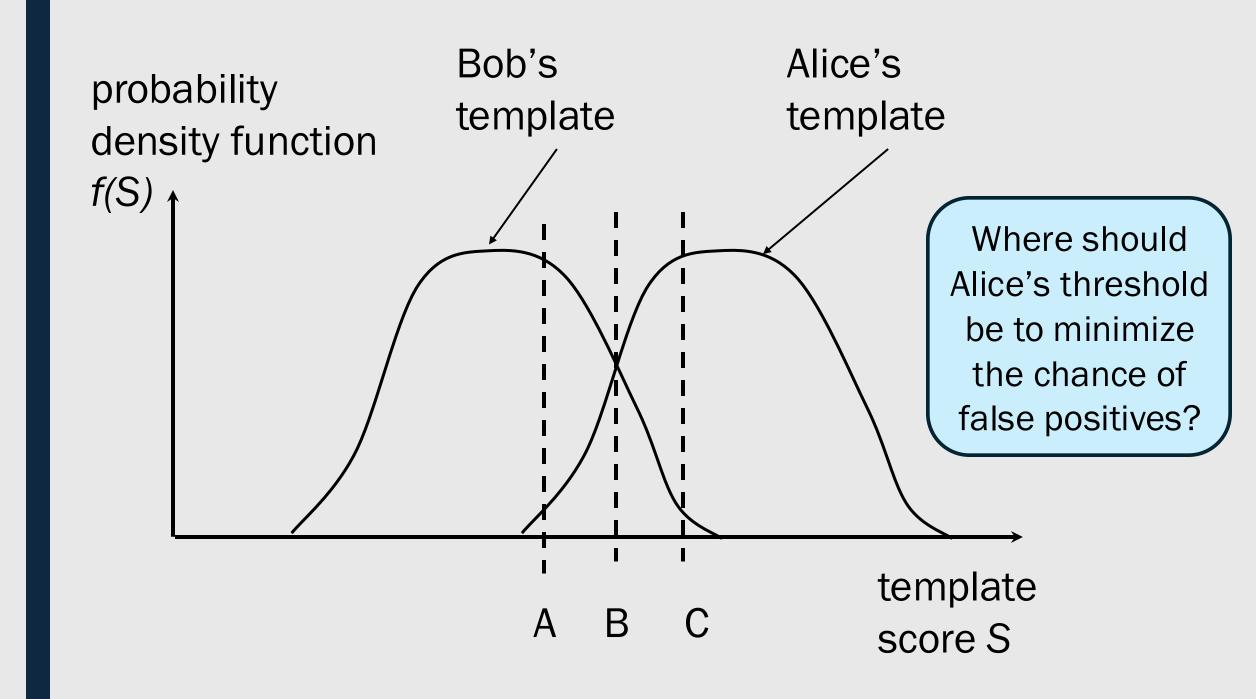
# COMP435: SECURITY CONCEPTS!

Lecture 6: Finish Authentication, Start Crytpo!

tinyurl.com/comp435-fa25

### BIOMETRICS





# WHAT YOU HAVE, TWO-FACTOR AUTHENTICATION

#### Means of Authentication

What you know

What you do or what you are

What you have

Where you are

tokens

#### Authentication by what you have

Def'n: Possession of an item is sufficient for authentication

E.g.,

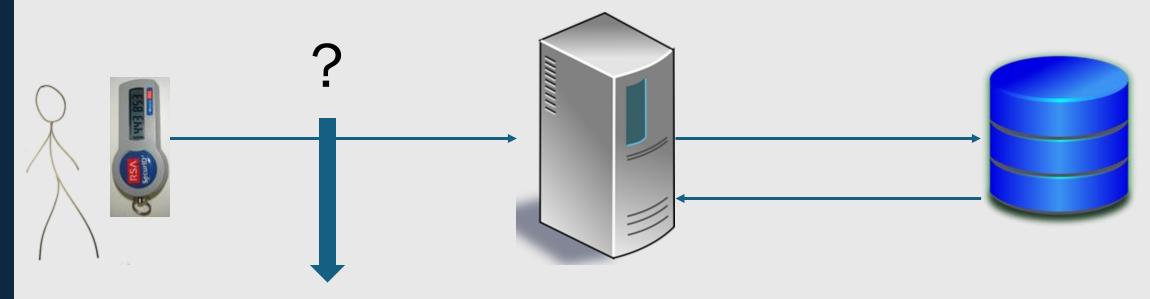
- keys
- credit card
- hardware token

#### Hardware Tokens





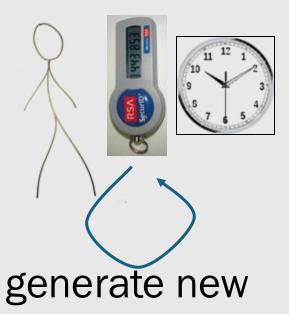
#### **Demonstrating Possession Remotely**



- Challenge-Response
- Synchronized Passcodes

The Challenge-Response piece involves some crypto... We will revisit!

#### Synchronized Passcodes



passcode

passcode



#### Two-factor Authentication

Def'n: require two independent means of authentication

E.g., Driver's license:

license: a physical token

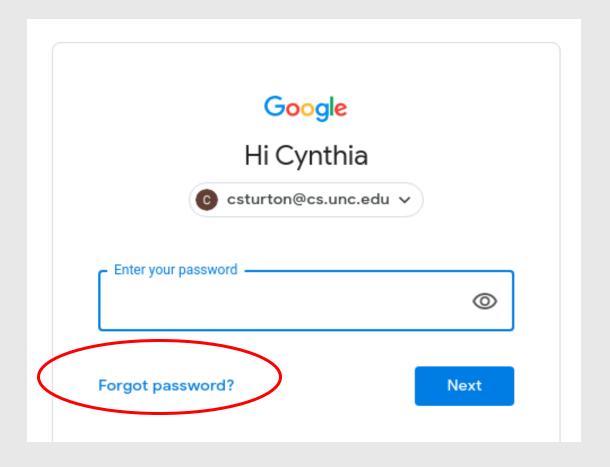
picture: biometric authentication

# REVOCATION & RESETTING

#### Revocation

Def'n: cancelling a means of authentication

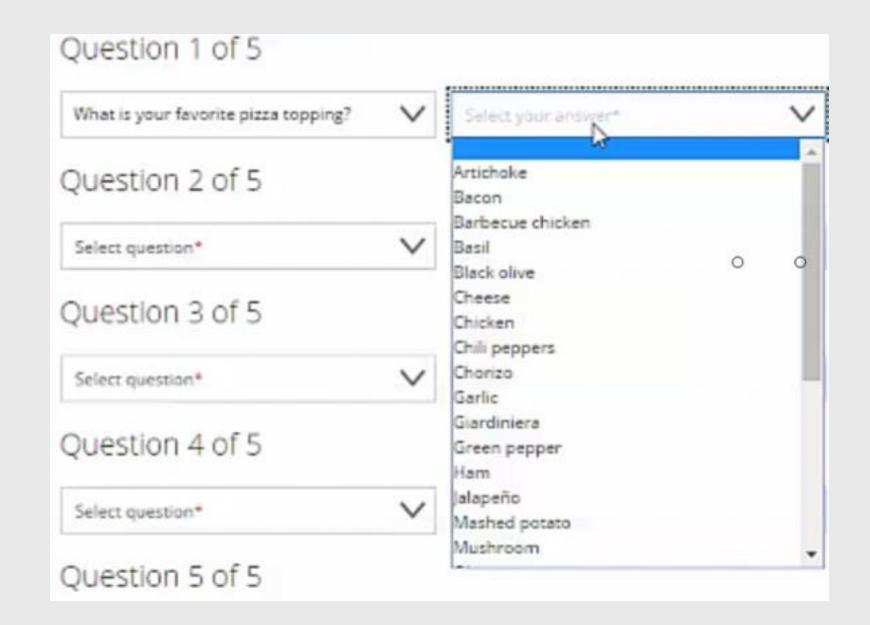
- Passwords
- Biometrics
- Tokens



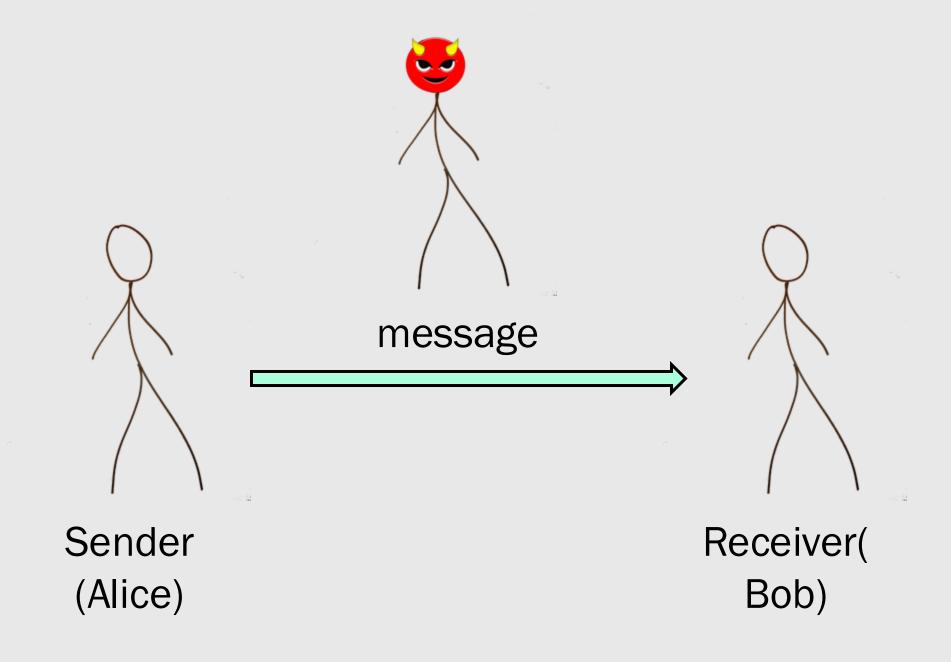
#### Resetting a Password

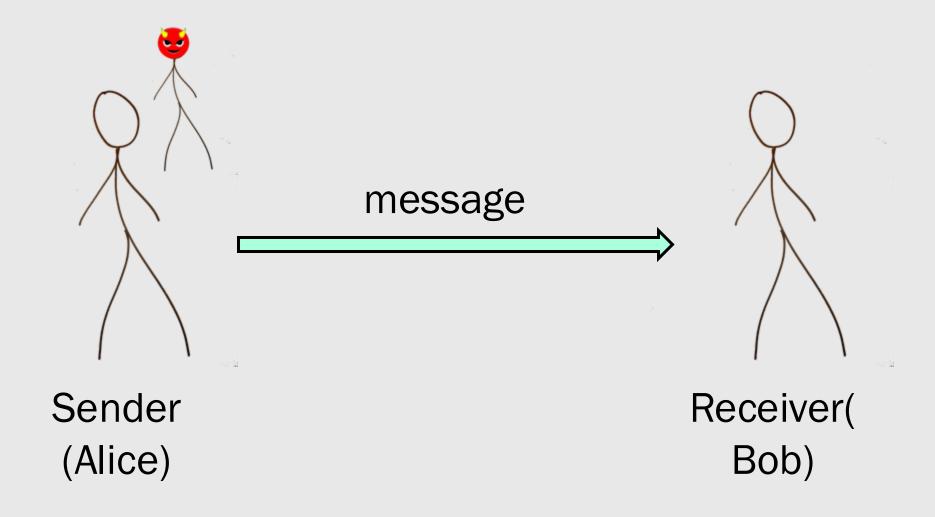
- 1. Authenticate as user
- 2. Reset password

#### Q&A



# INTRODUCING THE CRYPTOGRAPHIC TOOLBOX





#### Roadmap

Confidentiality Public Key Symmetric **Encryption** Encryption

Integrity Cryptographic Digital Signatures Hash Message Authentication

Codes

#### Roadmap

Confidentiality

Symmetric Encryption

Public Key Encryption Integrity

Cryptographic Hash

Digital Signatures

Message Authentication Codes

- Encrypt
- Decrypt
- Plaintext
- Ciphertext
- Cipher

- Encrypt
- Decrypt
- Plaintext
- Ciphertext
- Cipher

Encode a message to obscure its meaning. (Also, encipher)

- Encrypt
- Decrypt
- Plaintext
- Ciphertext
- Cipher

Decode an encrypted message to reveal its original meaning. (Also, decipher)

- Encrypt
- Decrypt
- Ciphertext
- Cipher

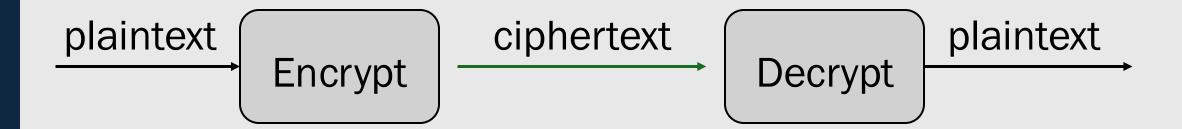
- Encrypt
- Decrypt
- Plaintext
- Ciphertext

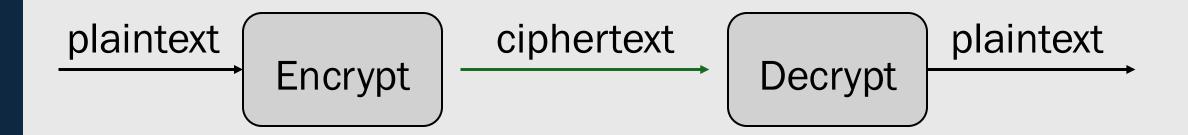
Encrypted message

Cipher

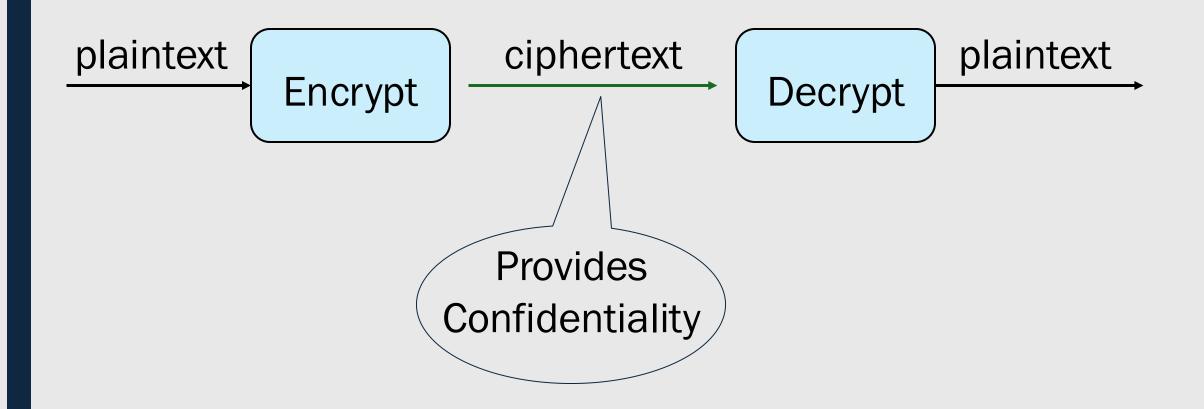
- Encrypt
- Decrypt
- Plaintext
- Ciphertext
- Cipher

Algorithm for encrypting or decrypting

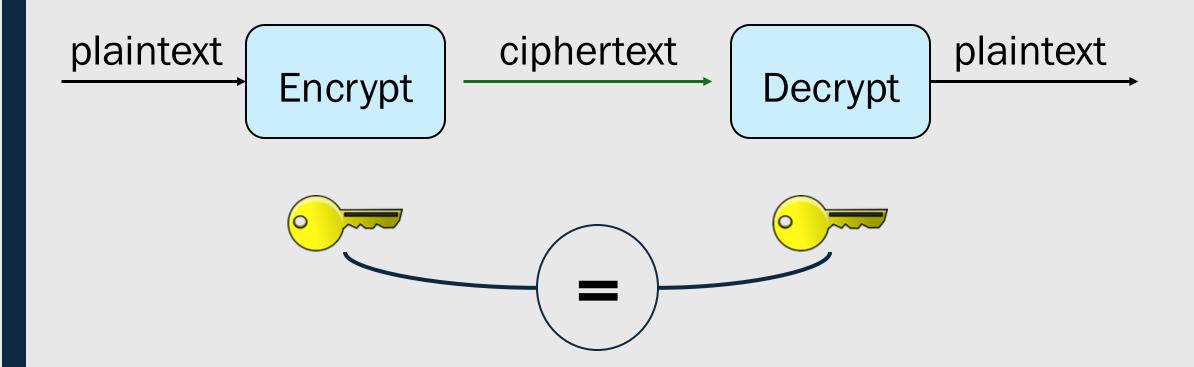




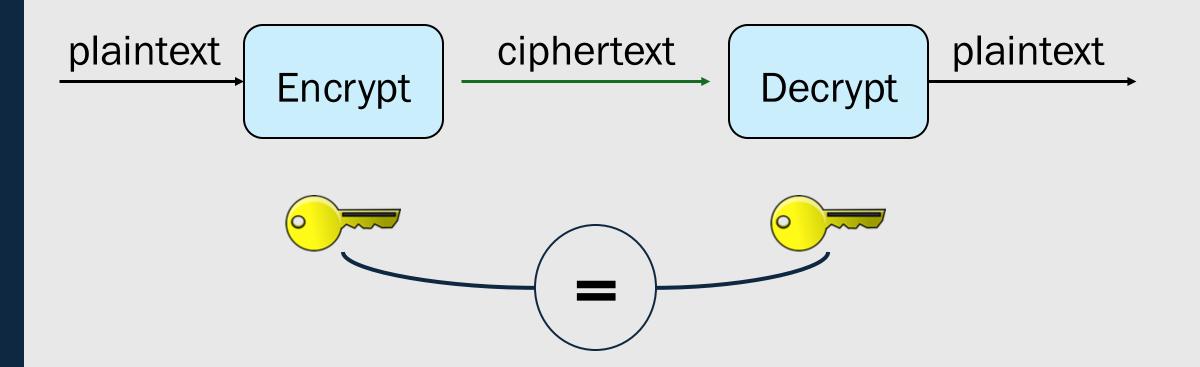
$$msg = Dec(Enc(msg))$$







$$c = Enc_k(msg)$$
  
 $msg = Dec_k(c)$ 



#### Cryptosystem

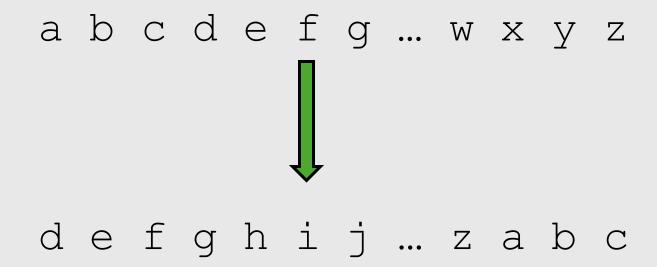
Def'n: A system for encryption and decryption

- Encryption algorithm
- Decryption algorithm
- Key generation
- Key management

The security of a cryptosystem should depend only on the secrecy of the keys

Kerckhoffs' Principle

#### Caesar Cipher

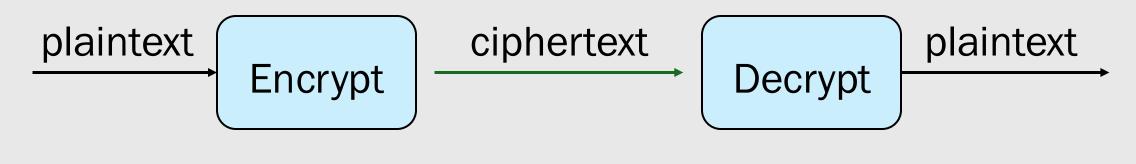


key = 3

## BREAKING ENCRYPTION

#### **Encryption and Decryption**

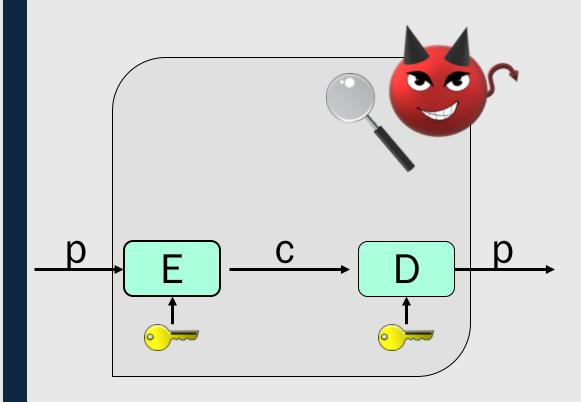
$$c = Enc_k(msg)$$
  
 $msg = Dec_k(c)$ 



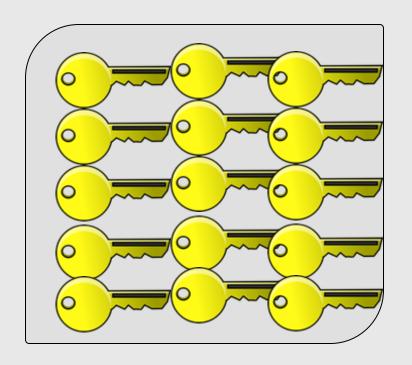




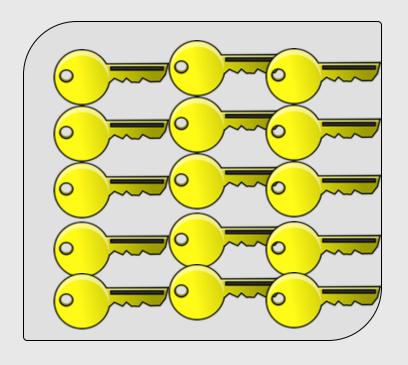
### **Breaking Encryption**



Cryptanalysis

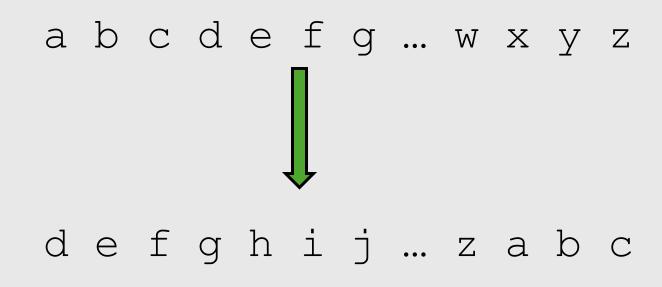


Exhaustive Search



Def'n: Try every possible key until the correct one is found.

### Shift Cipher (Caesar Cipher with key)



 $Enc_k(m) \triangleq (m + k) \mod 26$ 

### Shift Cipher (Caesar Cipher with key)

Number of keys to try: 25

```
E.g.,
```

```
Klhy AHz,
Aol huzdly rlf pz pu Zpaalyzvu Ohss.
Zpujlylsf,
Wyvm. Yfu
```

E.g., DES

- 56-bit key
- $10^{10} 10^{15}$  encryptions per second

#### E.g., DES

- 56-bit key
- $10^{10} 10^{15}$  encryptions per second
- Search time: [75 days, ~1 minute]

much too short for today's computers!

E.g., DES

- 56-bit key
- $10^{10} 10^{15}$  encryptions per second
- Search time: [75 days, ~1 minute]

much too short for today's computers!

On average, the attacker can expect to be successful in the time it takes to search only  $2^{55}$  keys – half the key space!

### **Computational Security**

Cost to break encryption >> value of asset

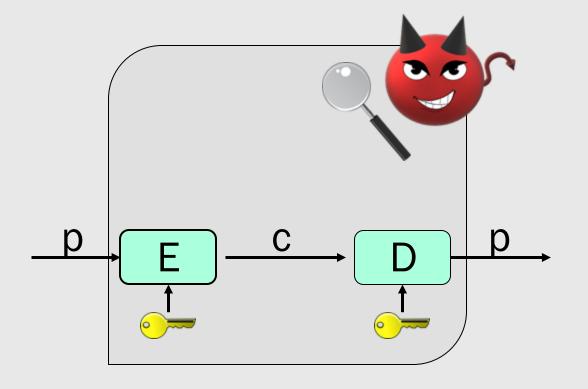
Time to break encryption >> lifetime of asset

### **Computational Security**

Def'n: Secure against an attacker with fixed computational resources

E.g., An encryption algorithm using 128-bit keys is computationally secure against exhaustive search.

Any secure encryption scheme must have a key space that is not vulnerable to exhaustive search





Def'n: recover key material or plaintext by exploiting flaws in the cryptosystem

### Mono-Alphabetic Substitution

abcdefghijklmnopqrstuvwxyz



x e u a d n b k v m r o c q f s y h w g l z i j p t

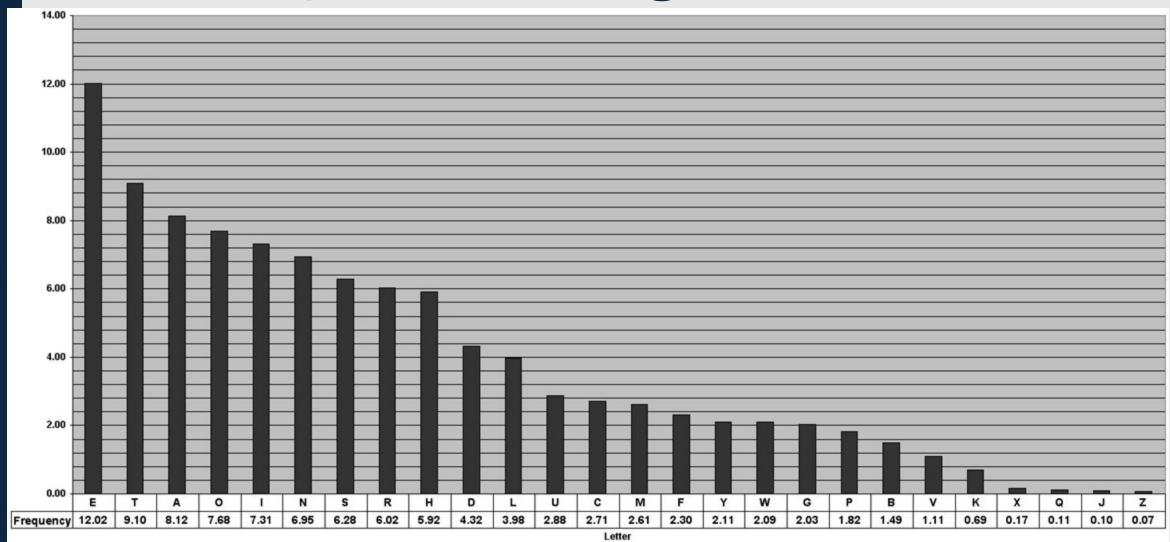
### Mono-Alphabetic Substitution

Number of keys to try:  $26! \approx 2^{88}$ 

E.g.,

**GDOOGKDCXEFLGCD** 

### Letter Frequencies in English



### Poly-Alphabetic Shift (Vigenère Cipher)

Plaintext: tell them about me

Key: cafe cafe cafec af

Ciphertext: veqp vhjq cbtyv mj

 $Enc_k(m_i) \triangleq (m_i + k_i) \mod 26$ 

- Cipher-text only attack
- Known-plaintext attack
- Chosen-plaintext attack (CPA)
- Chosen-ciphertext attack (CCA)



- Cipher-text only attack
- Known-plaintext attack
- Chosen-plaintext attack (CPA)
- Chosen-ciphertext attack (CCA)

adversary observes ciphertexts

### Cipher-text Only Attack



#### Given:

Enc, Dec, M, and a ciphertext (ct)

#### Goal:

Recover a msg such that  $m = Dec_{kev}(ct)$ 

#### Set-up:

Enc, Dec, M =  $\{0, 1\}^n$ K =  $\{0,1\}^p$ msg  $\in$  M, key  $\in$  K ct = Enc<sub>kev</sub>(msg)

### Cipher-text Only Attack



#### Given:

Enc, Dec, M, and a ciphertext (ct)

#### Goal:

Recover a msg such that  $m = Dec_{kev}(ct)$ 

### Set-up: Enc, Dec, M = $\{0, 1\}^n$ K = $\{0,1\}^p$ msg $\in$ M, key $\in$ K ct = Enc<sub>kev</sub>(msg)

Enc = Mono-alphabetic substitution

M = {"banana, "orange"}

ct = xmqmqm"

Attacker can figure out m = "banana"



- Cipher-text only attack
- Known-plaintext attack
- Chosen-plaintext attack (CPA)
- Chosen-ciphertext attack (CCA)

adversary learns plaintext-ciphertext pairs

#### **Known-Plaintext Attack**



#### Given:

Enc, Dec, M,  $(m_1, c_1), (m_2, c_2) \dots (m_j, c_j)$ and a ciphertext  $(ct_i)$ 

#### Goal:

Recover the msg such that  $m_i = Dec_{kev}(ct_i)$ 

#### Set-up:

Enc, Dec, M =  $\{0, 1\}^n$ K =  $\{0,1\}^p$   $m_1, m_2 ... m_j \in M$ , key  $\in K$   $ct_1 = Enc_{key}(m_1)$   $ct_2 = Enc_{key}(m_2) ...$  $ct_i = Enc_{key}(m_i)$ 

#### **Known-Plaintext Attack**



#### Given:

Enc, Dec, M,  $(m_1, c_1), (m_2, c_2) \dots (m_i, c_i)$ and a ciphertext (ct<sub>i</sub>)

#### Goal:

Recover the msg such that  $m_i = Dec_{kev}(ct_i)$ 

# Set-up:

Enc, Dec,  $M = \{0, 1\}^n$  $K = \{0,1\}^p$  $m_1, m_2 \dots m_i \in M$ , key  $\in K$  $ct_1 = Enc_{key}(m_1)$  $ct_2 = Enc_{key}(m_2) \dots$  $ct_i = Enc_{kev}(m_i)$ 

Enc = Shift Cipher Given (m1, c1) = ("abc", "cfg")

Attacker can recover the key and decrypt any future message!



- Cipher-text only attack
- Known-plaintext attack
- Chosen-plaintext attack (CPA)
- Chosen-ciphertext attack (CCA)

Adversary can obtain ciphertext for plaintext of its choosing

#### Chosen-Plaintext Attack



#### Given:

Enc, Dec, M, ct and

 $ct_1 = Enc_{key}(m_1)$ 

 $ct_2 = Enc_{key}(m_2) \dots$ 

 $ct_i = Enc_{key}(m_i)$ 

Goal:

Recover the msg such that

 $msg = Dec_{key}(ct)$ 

#### Set-up:

Enc, Dec,  $M = \{0, 1\}^n$   $K = \{0,1\}^p$  $m \in M$ ,  $key \in K$ 

 $ct = Enc_{key}(m)$ 

#### Chosen-Plaintext Attack



#### Given:

Enc, Dec, M, ct and

 $ct_1 = Enc_{key}(m_1)$ 

 $ct_2 = Enc_{key}(m_2) \dots$ 

 $ct_j = Enc_{key}(m_j)$ 

Goal:

Recover the msg such that  $msg = Dec_{kev}(ct)$ 

#### Set-up:

Enc, Dec,  $M = \{0, 1\}^n$ 

 $K = \{0,1\}^p$ 

 $m \in M$ , key  $\in K$ 

 $ct = Enc_{key}(m)$ 

$$K = \{a-z\}^3$$

key: "key"

M = {"a", "b", "c"}

 $\rightarrow$ 

CPA adversary can request Enc("a"), Enc("b"), Enc("c"), Enc("a") again, and learn the key



- Cipher-text only attack
- Known-plaintext attack
- Chosen-plaintext attack (CPA)
- Chosen-ciphertext attack (CCA)

Adversary can obtain decryption for ciphertext of its choosing

### Chosen-Ciphertext Attack



#### Given:

Enc, Dec, M, ct and

 $m1_1 = Dec_{key}(ct_1)$ 

 $m_2 = Enc_{key}(ct_2) \dots$ 

 $m_j = Enc_{key}(ct_j)$ 

Goal:

Recover the msg such that

 $msg = Dec_{key}(ct)$ 

#### Set-up:

Enc, Dec,  $M = \{0, 1\}^n$ 

 $K = \{0,1\}^p$ 

 $m \in M$ , key  $\in K$ 

 $ct = Enc_{key}(m)$ 

 $K = \{0, 1\}^8$ Want to decrypt some given ct

 $\rightarrow$ 

Chooses:  $c_1 = ct XOR 0000_0001$ 

Can query:  $m_1 = Dec_k(c_1)$  to try to

recover m such that  $m = Dec_k(ct)$ 

### Chosen-Ciphertext Attack



#### Given:

Enc, Dec, M, ct and

 $m1_1 = Dec_{key}(ct_1)$ 

 $m_2 = Enc_{key}(ct_2) \dots$ 

 $m_j = Enc_{key}(ct_j)$ 

Goal:

Recover the msg such that

 $msg = Dec_{key}(ct)$ 

#### Set-up:

Enc, Dec,  $M = \{0, 1\}^n$ 

 $K = \{0,1\}^p$ 

 $m \in M$ , key  $\in K$ 

 $ct = Enc_{key}(m)$ 

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Chooses:  $c_1 = ct XOR 0000_0001$ 

Can query:  $m_1 = Dec_k(c_1)$  to try to

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- Cipher-text only attack
- Known-plaintext attack
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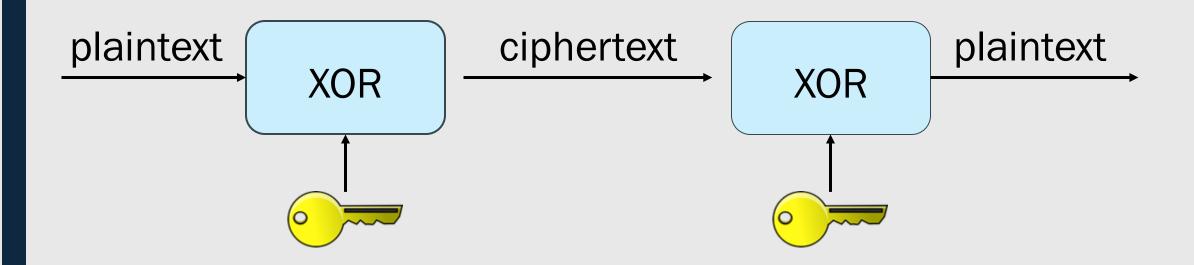
passive attacks

active attacks

Klhy AHz, Aol huzdly rlf pz pu Zpaalyzvu Ohss. Zpujlylsf, Wyvm. Yfhu

# ONE TIME PAD

### One Time Pad (Vernam Cipher)



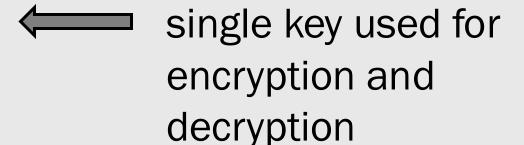
$$c_i = p_i \oplus k_i$$
  
 $p_i = c_i \oplus k_i$ 

### One Time Pad (Vernam Cipher): Encryption

## One Time Pad (Vernam Cipher): Decryption

#### One Time Pad

- Symmetric encryption algorithm
- Stream cipher
- Substitution cipher



#### One Time Pad

- Symmetric encryption algorithm
- Stream cipher
- Substitution cipher



each unit of the plaintext is replaced with a unit of ciphertext

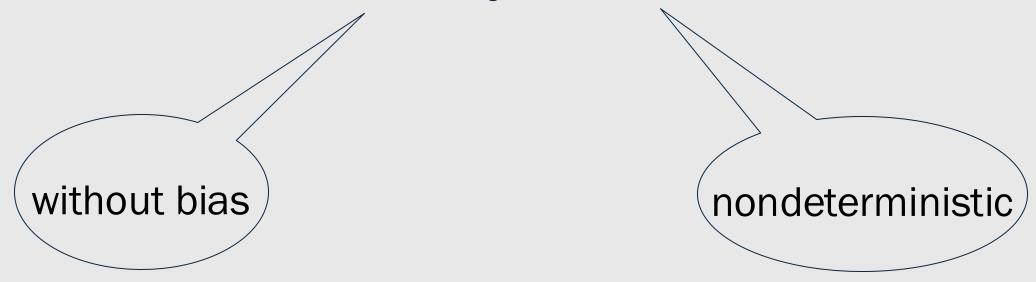
### One Time Pad Keys

- Key material is as long as message
- Key material is never reused
- Key material is kept secret
- Key material is chosen uniformly at random

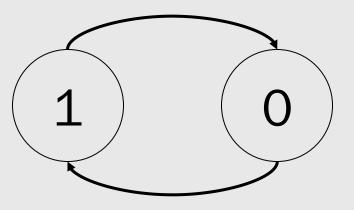
## uniformly at random

sampled from a uniform distribution

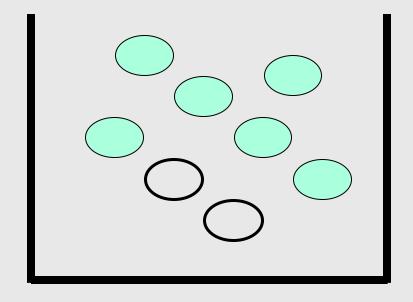
## uniformly at random



# Unbiased, Deterministic



## Biased, Nondeterministic



#### One Time Pad

- Key material is as long as message
- Key material is never reused
- Key material is kept secret
- Key material is chosen uniformly at random

OTP offers information-theoretical security

#### Information-Theoretical Security

Def'n: Security derives from information theory

OTP is information-theoretically secure:

- Attacker cannot recover plaintext without the key
- Not susceptible to cryptanalysis
- Not susceptible to exhaustive search

# Worksheet Q2-5

#### **OTP**

- Provides perfect secrecy
- Does not provide integrity
- Difficult to use in practice