# Learning Latent Factor Models of Human Travel

Presented By:

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## Goal

**Goal**: Estimate the likelihood of traveling to a destination



• Predict the probability of travelling from bin  $L_k$  to  $L_{k+1}$  in Time Period  $\Delta T$ 

### Dataset

- Metadata of 6,341,877 Geo tagged Flickrimages comprising of 75,248 individuals
- Mid pts of 3186 bins of 400\*400 sq. km. spanning Earth
- Mapping of each photograph to a bin
- Distance 'intervals' between consecutive photographs
- Time intervals between consecutive photographs

## Distribution of Data



## **Basic Model**

#### Hypothesis

- Some destinations are more desirable than others
- Long Distance travelis rare but not surprising

#### Multiplicative Model

- $P_{ij\tau} = \frac{\exp(\rho(d(i,j),\tau) + \alpha_j)}{\sum_{\ell} \exp(\rho(d(i,\ell),\tau) + \alpha_{\ell})}$
- $\rho(d,\tau)$  captures dependence of travel on the distance
- $\mathbf{r} = \alpha$  represents the desirability of a destination
- No of parameters= 5486 parameters (3186 bins + 100 distances \* 23 time differences)

### Learning using Batch Gradient

- Objective Function
  - NLL =  $-\sum_{ij\tau} N_{ij\tau} \ln P_{ij\tau}$
- Derivative of alpha

$$= \frac{\partial NLL}{\partial \alpha_j} = -N_j + \sum_{i\tau} N_{i\tau} \frac{\exp(\rho(d_{ij,\tau}) + \alpha_j)}{\sum_{\iota} \exp(\rho(d_{i\iota,\tau}) + \alpha_{\iota})} = -N_j + \sum_{i\tau} N_{i\tau} P_{ij\tau}$$

#### Derivative of rho

$$\frac{\partial NLL}{\partial \rho_{\tau d}} = -N_{\tau d} + \sum_{ij} N_{ij\tau} \frac{\sum_{\iota:d_{i\iota}=d} \exp(\rho(d_{i\iota},\tau) + \alpha_{\iota})}{\sum_{\iota} \exp(\rho(d_{i\iota},\tau) + \alpha_{\iota})} = -N_{\tau d} + \sum_{i} N_{i\tau} P_{i\tau d}$$

#### Issues:

- ~2 minutes for each iteration on KillDevil even after considerable optimization
- Matlab doesn't allow global variables in parallel constructs
- Large Step size: Pijt goes out of range
- Local Minima
- Non Linear Conjugate Gradient: not enough time!

## Travel Model $P_{ij\tau}$ (Source London)



## Distance Factor ( $\rho$ )

Distance vs Rho



## Desirability Factor ( $\alpha$ )



#### Travel Probabilities

















### Popularity vs Desirability

Popular Destination (Actual)

Desirable Destinations [1]

London, GB New York, US San Francisco/San Jose, US Paris, FR Milan, IT Washington DC/Baltimore, US Vancouver, CA Chicago, US Los Angeles, US Brussels, BE Berlin, DE Tokyo, JP Rome, IT Glasgow, GB Frankfurt, DE Barcelona, ES

London, GB New York, US Brussels, BE San Francisco/San Jose, US Paris, FR Frankfurt, DE Sydney, AU Melbourne, AU Tokyo, JP Dublin, IE Shanghai, CN Washington DC/Baltimore, US Berlin, DE Toronto, CA Hilo, US Marseille, FR

Desirable Destination (Our)

New York London San Francisco Seattle Washington D.C. Vancouver Los Angeles Chicago Milan Glasgow Berlin Tokyo Naples Barcelona Amsterdam Paris Sydney

#### Conclusion

- 'Decent' predictive power
- Parametric Models are Efficient
- Can generalize (outperforms empirical model)
- Learn 'Meaningful' Concepts

#### **Future Work**

- Implement Conjugate Gradient
- Include affinity between destinations
- Implement Clustered Model i.e. cluster individuals based on previous travel
- Take into account the "season" of travel (i.e. time of year travel occurred)

#### References

- M. Guerzhoy and A. Hertzmann. Learning latent factor models of human travel. In NIPS Workshop on Social Network and Social Media Analysis: Methods, Models and Applications, 2012.
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- T. Kurashima, T. Iwata, G. Irie, and K. Fujimura. Travelroute recommendation using geotags in photo sharing sites. In Proc. CIKM, 2010.

# Questions ???

Iteration vs Cost

